Alex Iosevich* (iosevich@math.rochester.edu), Department of Mathematics, University of Rochester, Rochester, NY 14627. On simplexes determined by fractal subsets of the Euclidean space.

We prove that if the Hausdorff dimension of a subset of the Euclidean space is sufficiently large, then the Lebesgue measure of the set of $k$-simplexes determined by this set is positive. This is a natural generalization of the Falconer distance problem and is a continuous variant of a class of problems in discrete geometry. Connections with the theory of multi-linear operators and discrete geometry are explored. (Received September 02, 2010)