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**Sergey Kitaev\*** ([Sergey@ru.is](mailto:Sergey@ru.is)). *Enumerating  $(2+2)$ -free posets by the number of minimal elements and other statistics.*

A poset is said to be  $(2+2)$ -free if it does not contain an induced subposet that is isomorphic to  $2+2$ , the union of two disjoint 2-element chains. In a recent paper, Bousquet-Melou et al. found, using so called ascent sequences, the generating function for the number of  $(2+2)$ -free posets. We extend this result by finding a multi-variable generating function for  $(2+2)$ -free posets when four statistics are taken into account, one of which is the number of minimal elements in a poset. Also, we give another application of ascent sequences in proving that posets avoiding simultaneously  $2+2$  and  $3+1$  are counted by the Catalan numbers.

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