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**Adam Goyt** and **Lara Pudwell\*** (Lara.Pudwell@valpo.edu), Department of Mathematics & Computer Science, 1900 Chapel Drive, Valparaiso, IN 46383. *Avoiding Colored Partitions*. Preliminary report.

One challenging problem is counting pattern-avoiding set partitions. A set partition can be written in a uniform way if each block is written in increasing order, and the blocks are ordered by increasing minimal elements. With this convention, any set partition of  $\{1, \dots, n\}$  can be encoded as a string  $s_1 \cdots s_n$  where  $s_i = j$  if element  $i$  lies in block  $j$ . It is easily seen that a partition is non-crossing if its string encoding avoids the pattern 1212. Further results involving pattern-avoiding set partitions were developed by Klazar, Sagan, and Goyt.

Motivated by recent results for pattern avoidance in colored permutations, we define the notion of pattern-avoiding colored partitions. A colored set partition is one where each number of the set partition is assigned one of  $k$  colors. Given colored set partitions  $P$  and  $R$ , let  $P^*$  and  $R^*$  be the underlying uncolored set partitions for  $P$  and  $R$  respectively. We say  $P$  contains  $R$  if  $P^*$  contains  $R^*$  as a subpartition, and if the colors on the subpartition equal those of  $R$ . Initial enumerative results will be provided as well as conjectured relationships to other combinatorial objects. (Received September 21, 2009)