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Terje Hoim* (thoim@fau.edu), Honors College, Florida Atlantic University, Jupiter, FL 33458,
and **D. A. Robbins** (david.robbins@trincoll.edu), Dept. of Mathematics, Trinity College,
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Let X be a compact Hausdorff space, and let $\pi : \mathcal{E} \rightarrow X$ be a bundle of Banach spaces over X with fibers E_x ($x \in X$). Then the space $\Gamma(\pi)$ of continuous sections (= continuous choice functions) $\sigma : X \rightarrow \mathcal{E}$ (so, $\sigma(x) \in E_x$) of the bundle can be thought of as a space of continuous vector-valued functions (where the values $\sigma(x)$ may be in distinct spaces). One example of such a space is $C(X, F)$, the space of continuous functions from X to a Banach space F . It is reasonable to investigate [see e.g. Cembranos/Mendoza, *Banach spaces of vector-valued functions*, LNM 1676 (Springer-Verlag, 1997)] the conditions under which, say, such classical spaces as c_0 or l^1 are contained isometrically in $C(X, F)$. Using the analogy of “continuous vector-valued functions” from above, we obtain some results on when $\Gamma(\pi)$ contains isometric copies of some classical spaces. (Received September 26, 2005)