1145-VQ-2180 **Ivko M Dimitric*** (ivko@psu.edu), 2201 University Drive, Lemont Furnace, PA 15456. *Multivariable n-step maps.* Preliminary report.

An *n*-step map is a map f whose *n*th iterative power is the identity, $f^{\circ n}(x) = x$, hence, such a map is an iterative *n*th root of the identity map. While there is an extensive literature on *n*-step maps of one (real) variable, the study of *n*-step maps of \mathbb{R}^k is not as well developed, outside the framework of matrix theory. We provide some examples of and results on *n*-step maps of 2 and more variables. In particular, *n*-step affinely linear maps of \mathbb{R}^2 are classified for n = 2, 3, and 4. Also, some classification of *n*-step Cremona transformations of the plane are obtained. (Received September 25, 2018)