1145-52-1117 Kyle Meyer and Ivan Soprunov* (i.soprunov@csuohio.edu), Cleveland, OH 44115, and Jenya Soprunova. On the maximum number of $\mathbb{F}_{q}$-zeroes of polynomials with a given Newton polytope. Preliminary report.
Let $\mathbb{F}_{q}$ be a finite field. We are interested in estimating the largest number of $\mathbb{F}_{q}$-zeroes a polynomial $f$ with given Newton polytope may have. For large enough $q$, we provide such an estimate in the case of 3 -variate polynomials in terms of some geometric invariants of the polytope. Our approach is based on analysing collections of 3-dimensional lattice polytopes appearing as the Newton polytopes of absolutely irreducible factors of $f$. The result has an application to minimum distance estimation for 3-dimensional toric codes. (Received September 19, 2018)

