1145-34-2623

Ateq Alsaadi\* (ateq.alsaadi@bison.howard.edu), Mathematics Department, Howard University, Washington, DC 20059, and Faina Berezovskaya. Power asymptotics of orbits of a Kolmogorov type polynomial vector field with a fixed Newton polyhendron. Preliminary report.

Using the Newton polyhendron method we consider asymptotics of trajectories in a vicinity of isolated equilibrium O(0,0,0) of a polynomial vector field  $V(X_1,X_2,X_3)$  defined by the system of ordinary differential equations with the right hands:  $X_1(\bar{x}) \equiv x_1 P(\bar{x})$ ,  $X_2(x) \equiv x_2 Q(\bar{x})$ ,  $X_3(\bar{x}) \equiv x_3 R(\bar{x})$ , where  $\bar{x} = (x_1, x_2, x_3)$ . Newton polyhedron  $\Gamma_{000}$  is associated with V. **Theorem**. Any orbit of  $V(\bar{x})$  that tends to O for  $t \to \infty$  or  $t \to -\infty$  in phase coordinates  $(x_1, x_2, x_3)$  has either power or trivial asymptotics

$$x_2 = k_1 x_1^{\rho_1} (1 + o(1)), x_3 = k_2 x_1^{\rho_2} (1 + o(1)), \quad \rho_1, \ \rho_2 > 0,$$

where  $(\rho_1, \rho_2)$  is a vector-index of Newton polyhedron  $\Gamma_{000}$ ,  $k_1, k_2$  are constants. (Received September 25, 2018)