

1145-18-1652

**Kenichi Shimizu\***, 307 Fukasaku, Minuma-ku, Saitama-shi, Saitama 337-8570, Japan. *A description of the relative Serre functor for comodule algebras.*

Let  $\mathcal{C}$  be a finite tensor category, and let  $\mathcal{M}$  be an exact left  $\mathcal{C}$ -module category. The relative Serre functor of  $\mathcal{M}$ , introduced by Fuchs, Schaumann and Schweigert, is an endofunctor  $S$  on  $\mathcal{M}$  such that there is a natural isomorphism  $\underline{\mathrm{Hom}}(M, N)^* \cong \underline{\mathrm{Hom}}(N, S(M))$  for  $M, N \in \mathcal{M}$ , where  $\underline{\mathrm{Hom}}$  is the internal Hom functor. In this talk, I discuss the case where  $\mathcal{C} = H\text{-mod}$  and  $\mathcal{M} = L\text{-mod}$  for a finite-dimensional Hopf algebra  $H$  and a finite-dimensional exact left  $H$ -comodule algebra  $L$ . Such an algebra  $L$  is shown to be Frobenius by an argument using the Frobenius-Perron dimension. I give an explicit description of the relative Serre functor of  $L\text{-mod}$  and its twisted module structure  $S(X \otimes M) \cong X^{**} \otimes S(M)$  ( $X \in H\text{-mod}$ ,  $M \in L\text{-mod}$ ) in terms of integrals of  $H$  and the Frobenius structure of  $L$ . (Received September 23, 2018)