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**Maarten Derickx\*** (drx@mit.edu). *A-gonality and points of degree  $d$  on curves*. Preliminary report.

The gonality of a curve  $C$  over the rational numbers  $\mathbb{Q}$  is defined to be the smallest integer  $d$  for which there exist a map of degree  $d$  to  $\mathbb{P}^1$ . If a map of degree  $d$  exists on  $C$  then  $C(\overline{\mathbb{Q}})$  contains infinitely many points defined over number fields of degree  $d$ . It is a theorem of Frey that a converse also holds, namely if  $C(\overline{\mathbb{Q}})$  contains infinitely many points of degree  $d$ , then there exists a map of degree at most  $2d$  to  $\mathbb{P}^1$ . This means that the gonality determines the smallest degree for which there exists infinitely many points up to a factor of two. The main subject of this talk is the notion of  $A$ -gonality. This is a generalisation of the classical gonality and additionally shares much of the same nice properties as gonality. In certain situations it gives more information about the existence of points of degree  $d$  than the classical gonality. (Received September 04, 2018)