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The goal of this presentation is to show that for a fixed N , all Gaussian polynomials $\begin{bmatrix} N+m \\ m \end{bmatrix}$ come in exactly $\frac{2lcm(m)}{m}$ varieties, where $lcm(m)$ represents the least common multiple of the numbers from 1 through m .

It is clear that for a fixed N , the set of partitions of n into at most m parts; $p(n, m)$ can be decomposed into two collections; partitions with parts not larger than N , denoted $p(n, m, N)$ and partitions with parts larger than N , denoted $P(n, m, N)$. In short,

$$p(n, m) = p(n, m, N) + P(n, m, N).$$

We note that $p(n, m, N)$ corresponds to the coefficients of $\begin{bmatrix} N+m \\ m \end{bmatrix}$.

It is well known that the quasipolynomial for $p(n, m)$ is periodic with period $lcm(m)$. The period for $P(n, m, N)$ is shorter. Strangely, the quasipolynomial for $p(n, m, N)$ appears not be periodic at all. We will discuss these observations and other peculiar behaviour of these functions. (Received September 22, 2018)