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**Krishna Subedi\*** ([krshna.subedi@rockets.utoledo.edu](mailto:krshna.subedi@rockets.utoledo.edu)), 1425 Oak Hill Ct Apt #32, Toledo, OH 43614, and **Zeljko Cuckovic** ([zeljko.cuckovic@utoledo.edu](mailto:zeljko.cuckovic@utoledo.edu)), 2801 Bancroft, Toledo, OH 43606. *Necessary condition for the hyponormality of Toeplitz operators on the weighted Bergman space.*

Recently, Cuckovic and Curto have proved that for  $\varphi \equiv \alpha z^n + \beta z^m + \gamma \bar{z}^p + \delta \bar{z}^q$  where  $\alpha, \beta, \gamma, \delta \in \mathbb{C}$  and  $m, n, p, q \in \mathbb{Z}$ ,  $m < n$  and  $p < q$ . By letting  $T_\varphi$  act on vectors of the form

$$z^k + cz^l + dz^r \quad (k < l < r).$$

They studied the asymptotic behavior of a suitable matrix of inner products, as  $k \implies \infty$ . And they obtain

$$|\alpha|^2 n^2 + |\beta|^2 m^2 - |\gamma|^2 p^2 - |\delta|^2 q^2 \geq 2|\bar{\alpha}\beta mn - \bar{\gamma}\delta pq|.$$

In this talk I will show this conjecture is true in weighted Bergman space too. (Received September 18, 2017)