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Michael Ferrara, Daniel Johnston, Sarah Loeb* (sjloeb@wm.edu), **Florian Pfender, Alex Schulte, Heather Smith, Eric Sullivan, Michael Tait** and **Casey Tompkins**. *Edge-colored saturation for complete graphs*. Preliminary report.

Let \mathcal{C} be a family of edge-colored graphs. A t -edge-colored graph G is (\mathcal{C}, t) -saturated if G does not contain any element of \mathcal{C} , but for any edge $e \notin G$ and any color $i \in [t]$, the addition of e to G in color i creates some element of \mathcal{C} in G . Let $\text{sat}_t(n, \mathcal{C})$ denote the minimum number of edges in a (\mathcal{C}, t) -saturated graph on n vertices.

Let $\mathcal{C}_r(H)$ be the family consisting of every edge-colored copy of H in which exactly r colors are used on $E(H)$. We identify $\text{sat}_t(n, \mathcal{C}_2(K_3))$ when $t \geq 2$. For $\mathcal{R}(K_k) = \mathcal{C}_{\binom{k}{2}}(K_k)$, we show $\text{sat}_t(n, \mathcal{R}(K_k)) \geq c \log n$, which improves a lower bound from Barrus, Ferrara, Vandenbusshe, and Wenger, and matches their upper bound. We give additional results for $\text{sat}_t(n, \mathcal{C}_r(K_k))$ for $t \geq r$ as r ranges from 1 to $\binom{k}{2}$. (Received September 25, 2017)